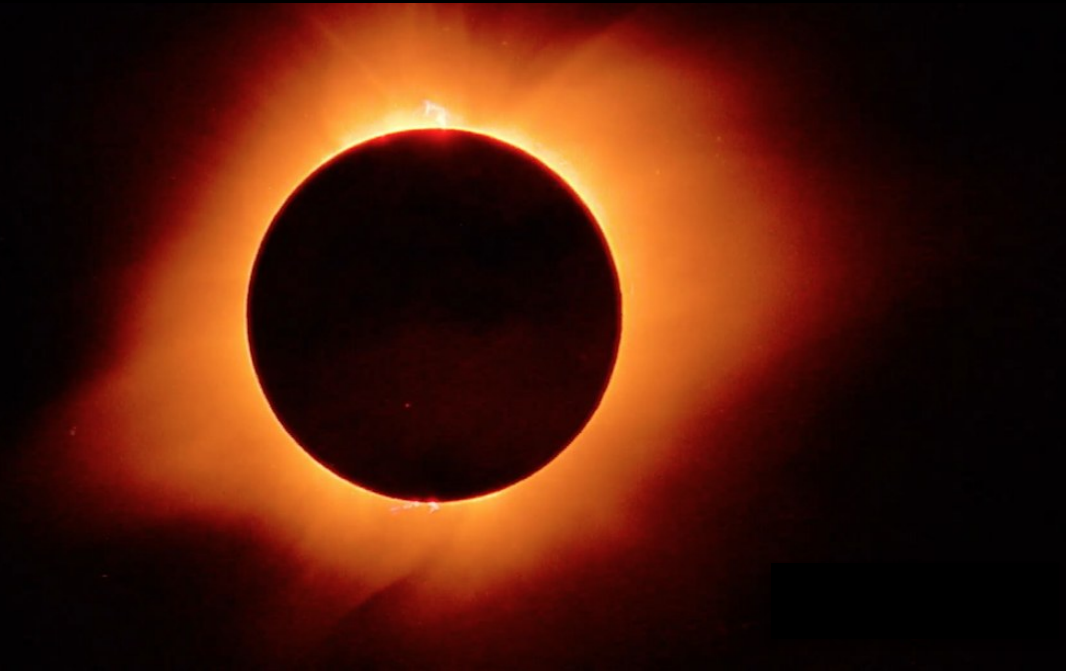


Measuring the dark universe



Luca Amendola
University of Heidelberg

In search of the dark

Searching with new probes

Searching in new domains

Or: a short overview of what
I have been doing in the last couple
years beside Euclid...

In search of the dark

Searching with new probes

21cm

GWs

Searching in new domains

PBH

Searching with new probes

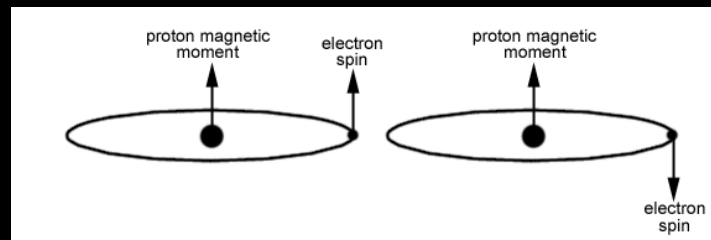
- So far, cosmology has been essentially CMB+LSS+WL+SN Ia+Clusters
- Insufficient to break all the degeneracies and probe intermediate redshifts
- New probes: **21cm**, **GWs**, polarization in CMB, new distance indicators, redshift drift,...

Observing Hydrogen

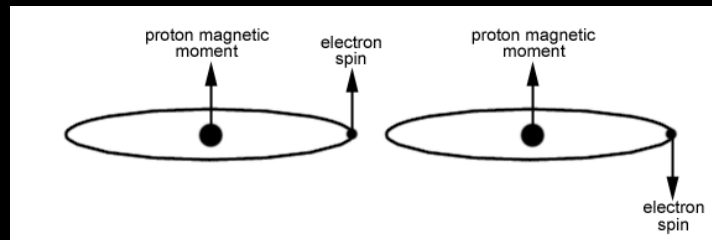
H_2 (molecular hydrogen) difficult to observe (no optical/radio lines, no dipole, etc)

HII (ionized hydrogen) free-free (Bremsstrahlung) + free-bound (recombination)

HI (atomic hydrogen) hyperfine spin-flip at 21cm



Observing HI

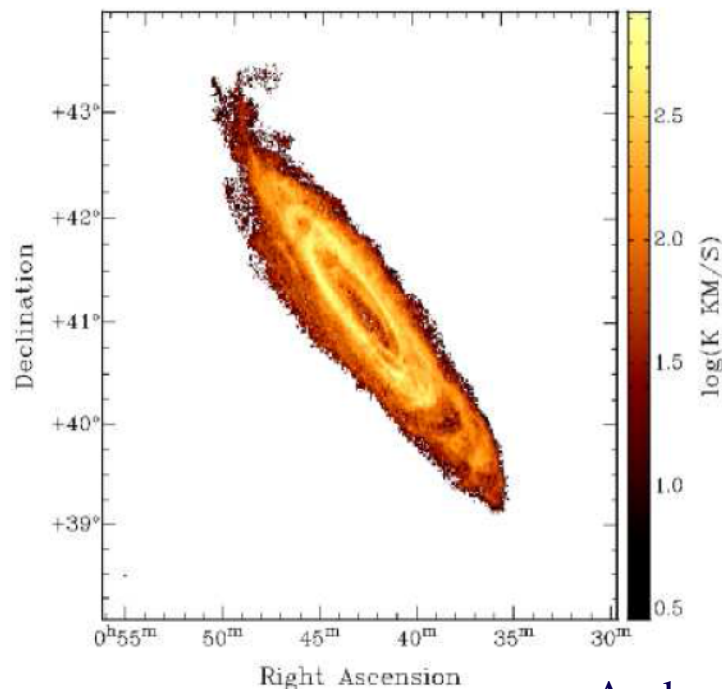


HI hyperfine spin-flip at 21cm, not absorbed by dust:
we can measure redshift in galaxies and before/during reionization!

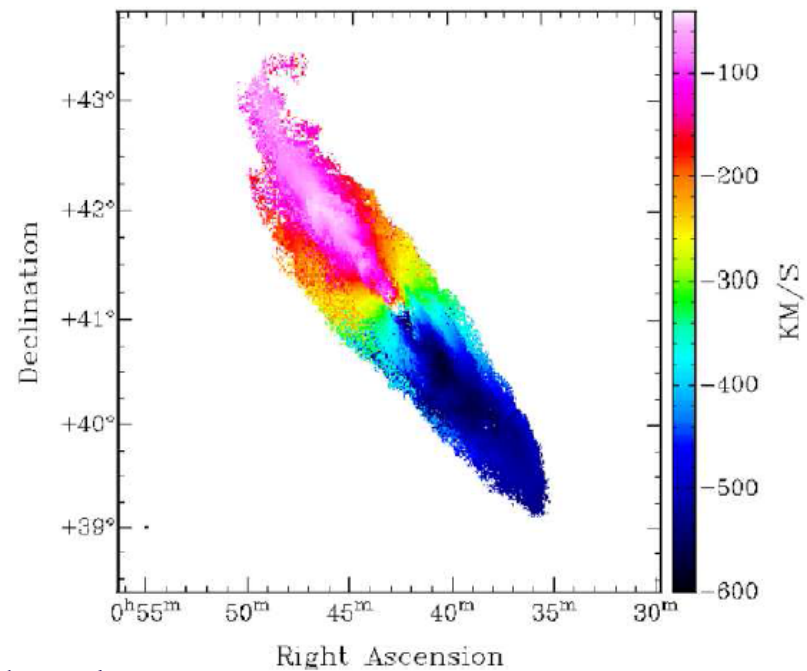
redshift	frequency (CMB=160 MHz)
0	1420 MHz
10	130 MHz
20	70Mhz

Observing HI

HI hyperfine spin-flip at 21cm + not absorbed by dust
we can measure galaxy Doppler redshift!



Andromeda galaxy



Chemin et al. 2009

Intensity Mapping

HI hyperfine spin-flip at 21cm + not absorbed by dust
we can measure redshift before reionization!

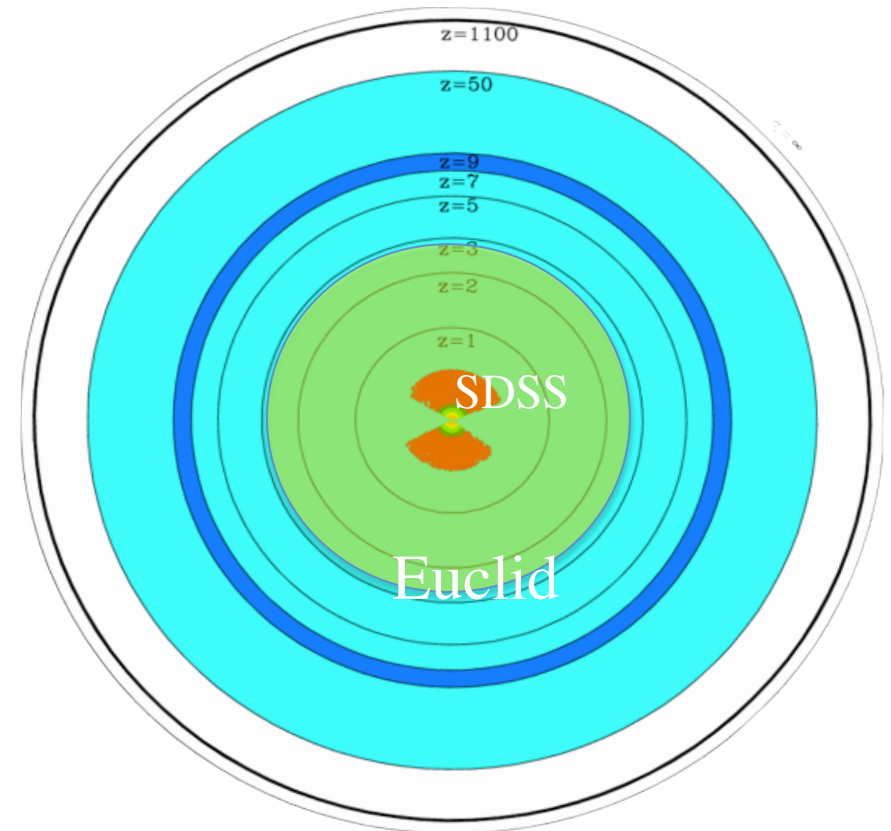
Intensity Mapping

(Chang et al 2008,
Wyithe & Loeb 2008):
HI from large-scale structure
rather than galaxies

up to $z=50$:
Epoch of Reionization $z=6-10$

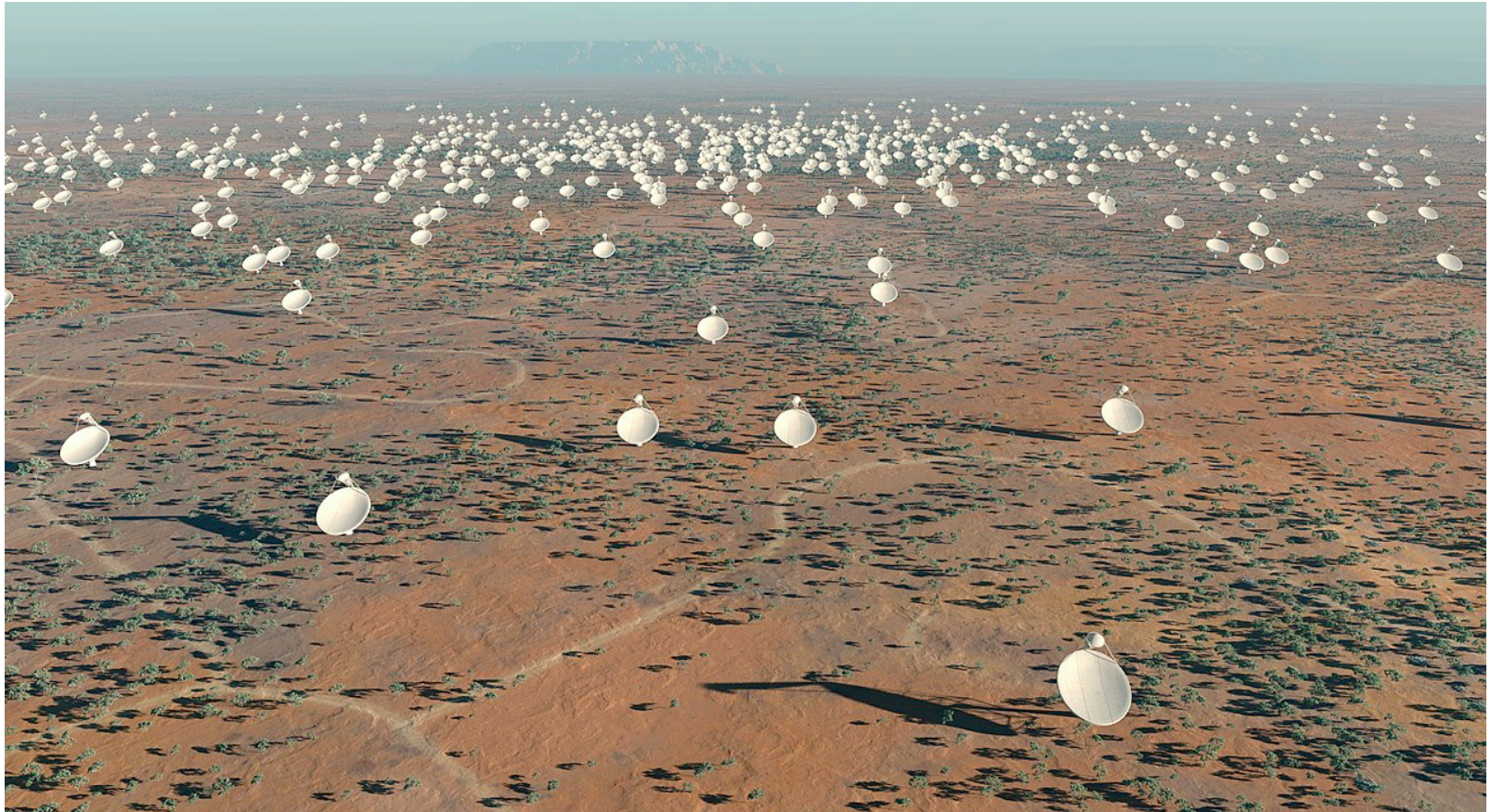
Experiments: GMRT, LOFAR, MWA,
PAPER, 21CMA, GBT, CRT, CHIME

Just like CMB, but in 3D!



Tegmark & Zaldarriaga 2008

Square Kilometer Array



1 sq. km area radio-telescope

Intensity Mapping

Estimate of the expected 21cm flux (21cmFAST*)

- Linear perturbations are evolved with Zeldovich approx at $z \gg 1$
- regions above a certain threshold are “ionized” (so no HI)
- 21cm emission from HI relative to CMB photons

spin - CMB
temperature

$$\delta T_b(\mathbf{x}, z) = \frac{T_S - T_\gamma}{1 + z} (1 - e^{-\tau_{\nu 0}})$$

reionization parameters:

$$R_{\text{mfp}} = 20 \text{ Mpc}, \quad T_{\text{vir}} = 3 \times 10^4 \text{ K}, \quad \zeta = 20,$$

mean free path, halo virial temperature, ionization efficiency

* github.com/andreimesinger/21cmFAST

Intensity Mapping

$Y = 1.01$

$Y = 1$

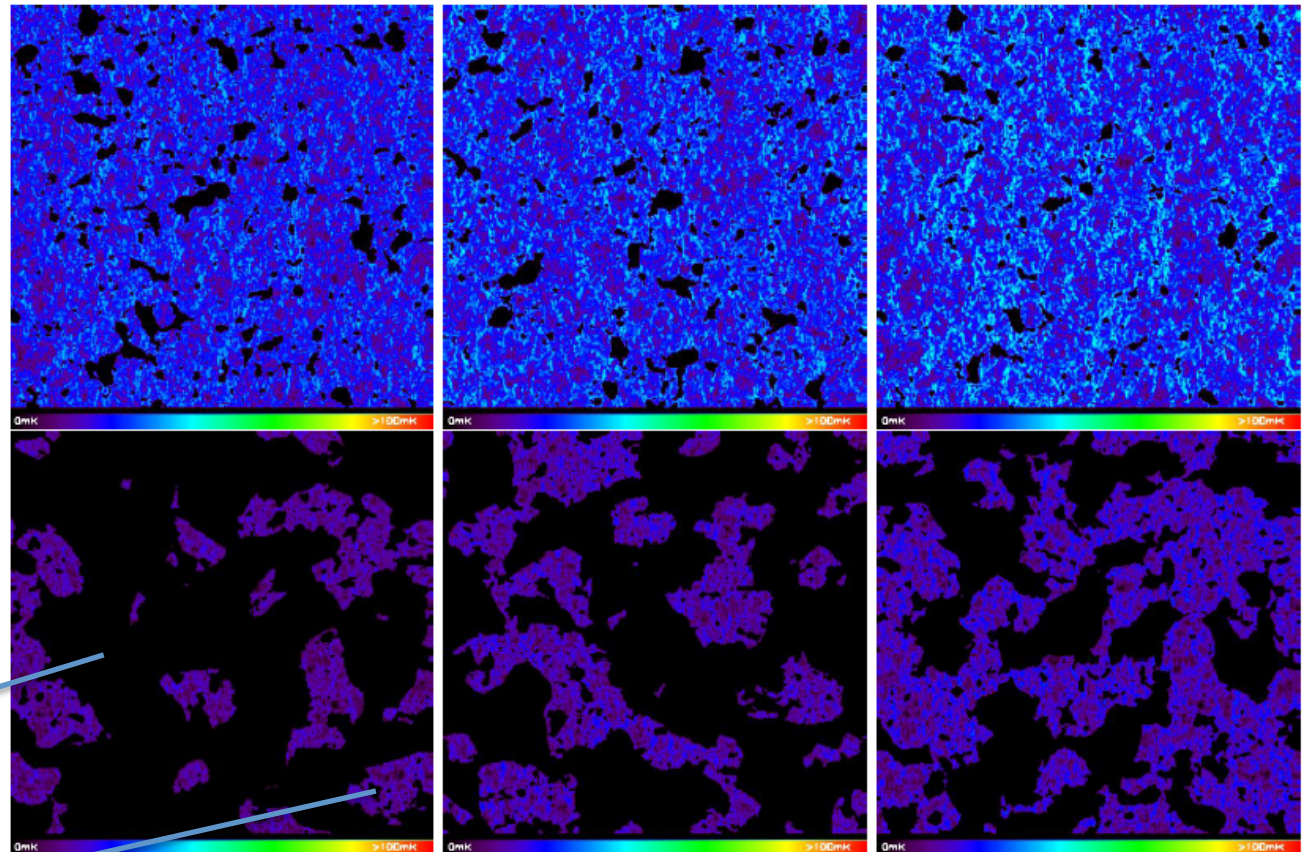
$Y = 0.99$

$z=10$

$z=7$

ionized

21cm



Heneka and L.A. 2018 1805.03629

Intensity Mapping

We consider w CDM plus a
modified gravity parameter Y
assumed constant within the relevant epochs

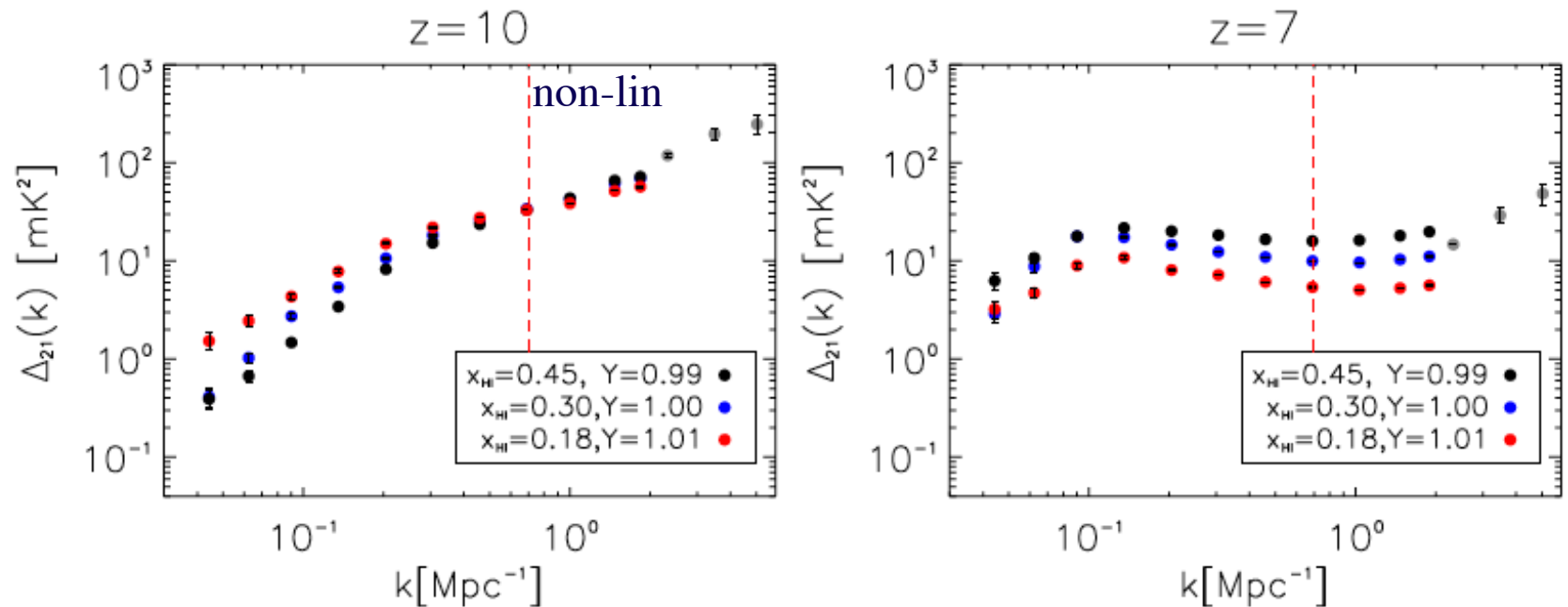
$$Y(z, k) = -\frac{2k^2\Psi}{3(aH)^2\Omega_m\delta_m}.$$

This affects the linear matter perturbation equation

$$\delta_m'' + \left(2 + \frac{E'}{E}\right) \delta_m' = \frac{3}{2} \frac{\delta_m}{a^3 E^2} \Omega_m Y,$$

21cm power spectrum

Forecasts for SKA 1



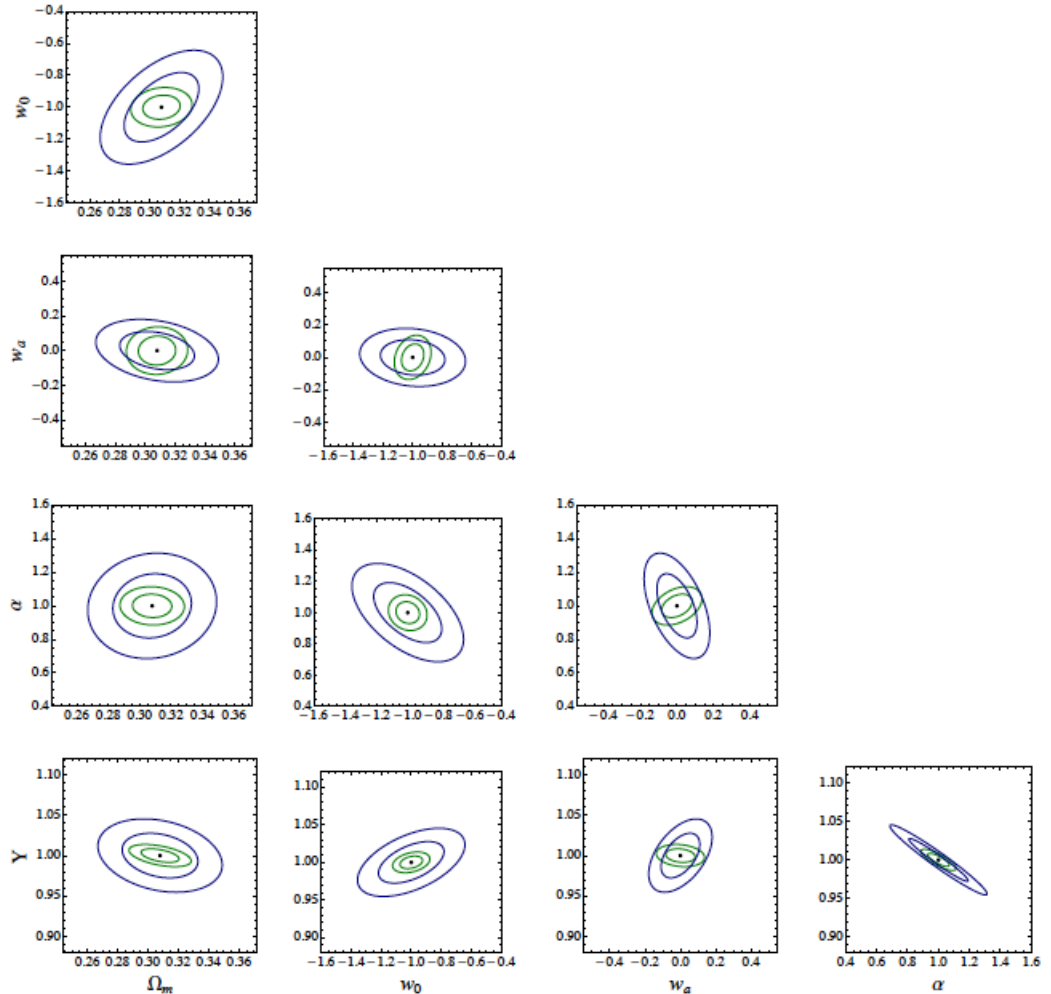
21cm forecasts

Forecasts for SKA 1,
z=6 to z=11

Parameters

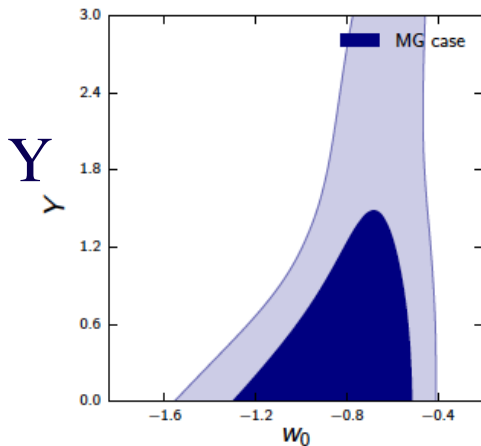
$\Omega_{m,0}, w_0, w_a, Y, \alpha$

$$\alpha = \delta'_{in} / \delta_{in}$$



21cm forecasts

Current data, $z=0$ to $z=1$



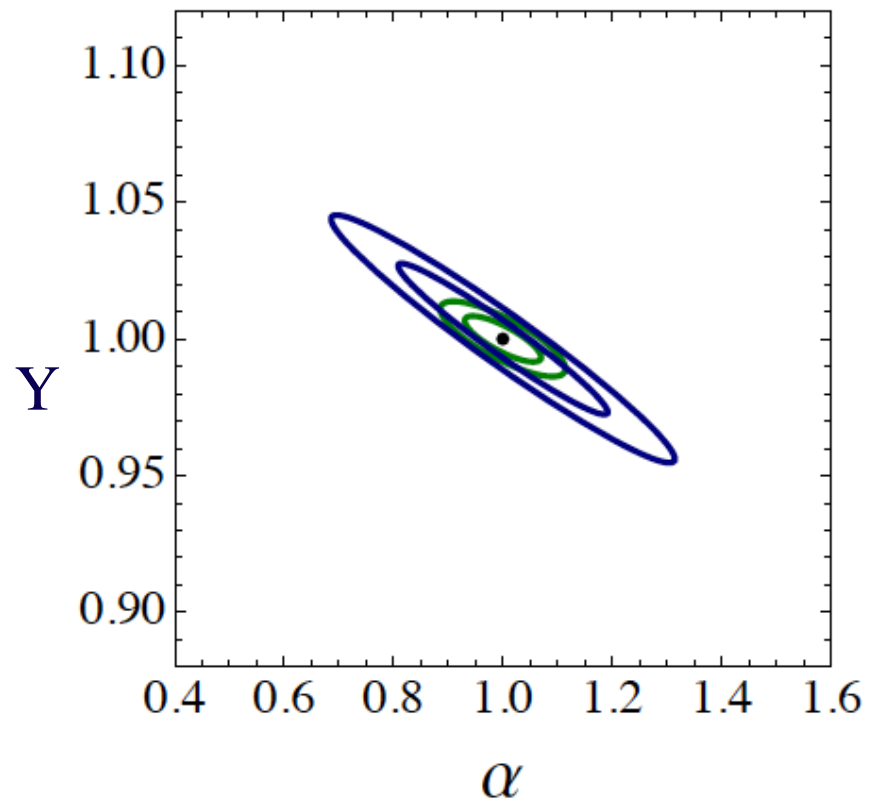
Taddei, Martinelli, L.A. et al. 1610.01059

Parameters

$$\Omega_{m,0}, w_0, w_a, Y, \alpha$$

$$\alpha = \delta'_{in} / \delta_{in}$$

Forecasts for SKA 1, $z=6$ to $z=11$



Heneka and L.A. 2018 1805.03629

21cm forecasts

	$\Omega_{m,0}$	w_0	w_a	Y	α	R_{mfp} [Mpc]	T_{vir} [K]	ζ
fiducial	0.308	-1.0	0.0	1.0	1.0	20	3×10^4	20
1σ error	0.008	0.05	0.06	0.006	0.06	-	-	-
1σ error + 'w'	0.016	0.144	0.072	0.018	0.126	-	-	-
1σ error	0.022	0.023	0.024	0.013	0.119	2.0	31.7	2.8
1σ error + 'w'	0.015	0.202	0.297	0.016	0.103	1.3	31.8	2.6
1σ error + k_{shot}	0.075	0.260	0.443	0.039	0.341	-	-	-
1σ error + k_{lin}	0.307	0.841	0.548	0.116	0.879	-	-	-

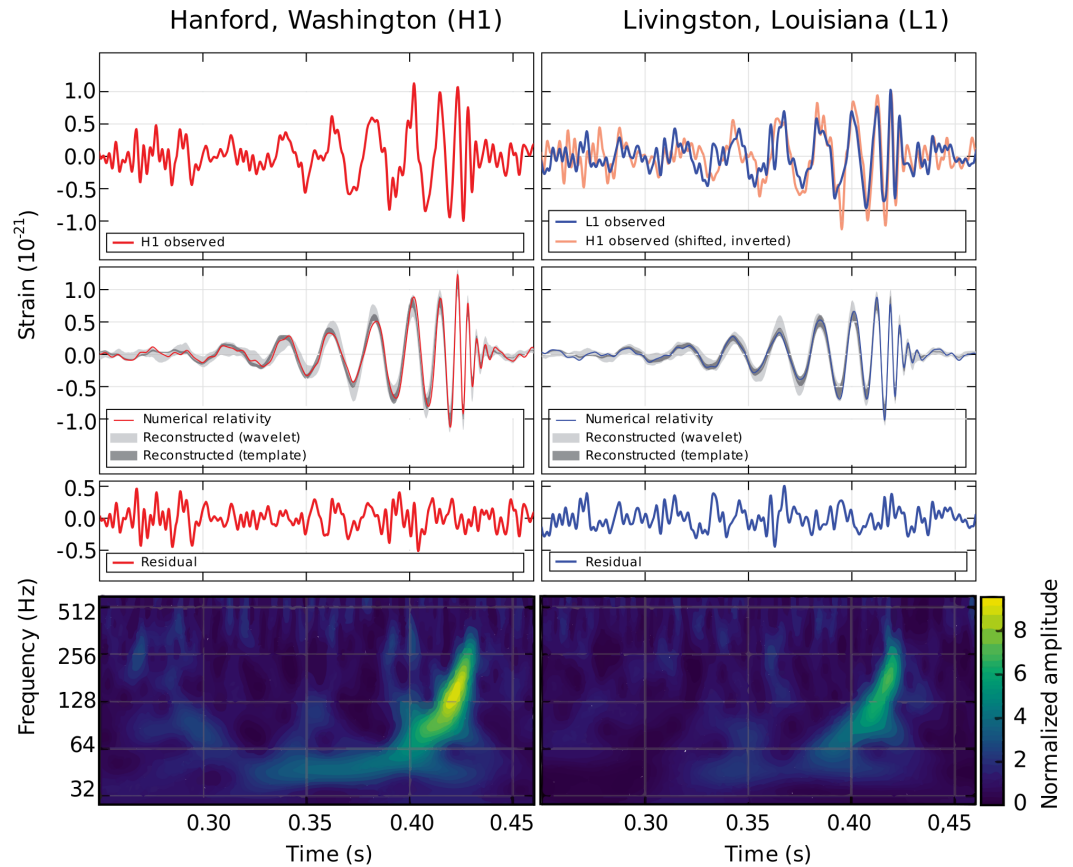
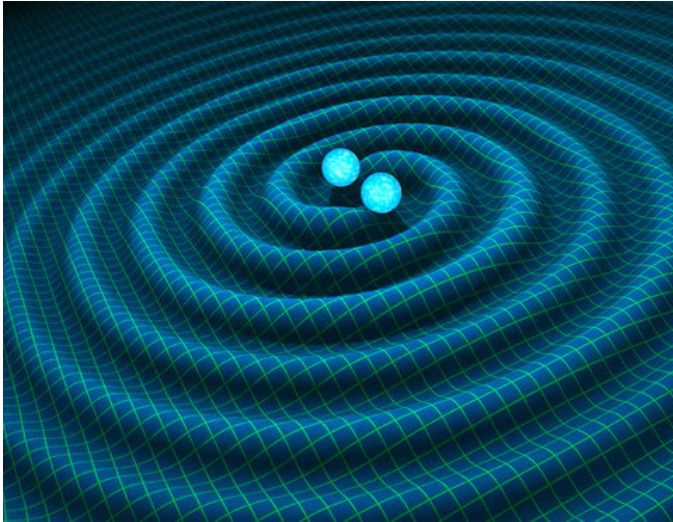
21cm forecasts

21cm: unique probe of the Universe at high redshift

highly sensitive to the linear growth

strong constraints on Y at redshifts much larger than
with SNIa or galaxy clustering/weak lensing

GW as standard sirens



GW as standard sirens

Amplitude of GW

$$h_{\times} = \frac{4}{d_L(z)} \left(\frac{GM_c(z)}{c^2} \right)^{5/3} \left(\frac{\pi f}{c} \right)^{2/3} \cos \iota \sin[\Phi(f)],$$

measure luminosity distance
with GW chirps

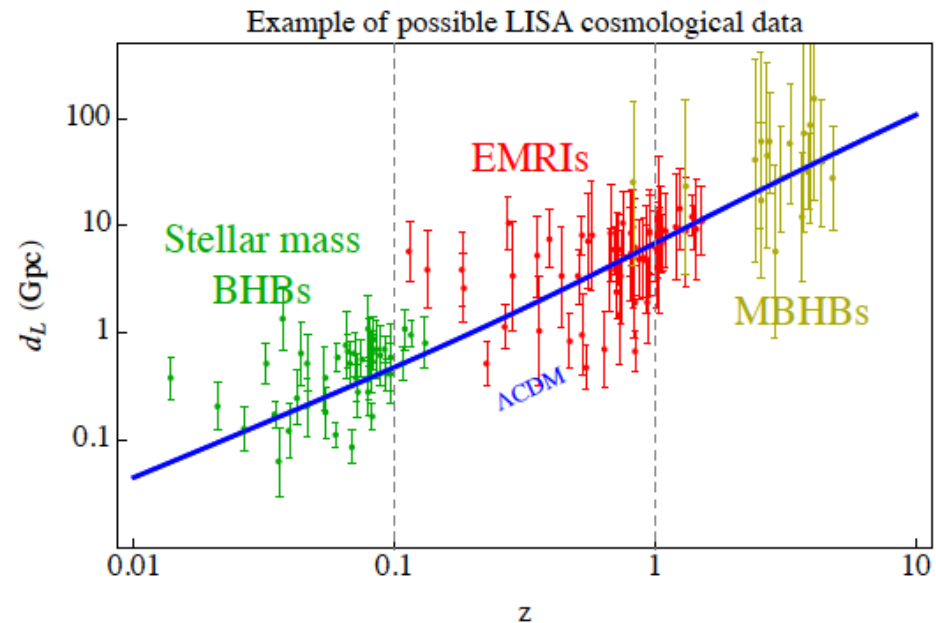
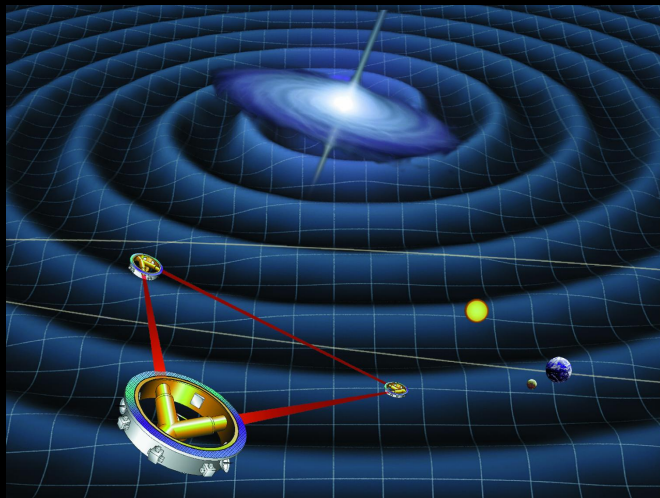
measure redshift with optical
counterparts

GW as standard sirens

Amplitude of GW

$$h_{\times} = \frac{4}{d_L(z)} \left(\frac{GM_c(z)}{c^2} \right)^{5/3} \left(\frac{\pi f}{c} \right)^{2/3} \cos \iota \sin[\Phi(f)],$$

Distribution of GW events
with LISA



Tamanini 2017

GWs in non-standard gravity

$$\ddot{h} + 3H(1 + \alpha_M)\dot{h} + (1 + \cancel{\alpha_M})k^2 h = 0$$

$$\alpha_M = \mathcal{H}^{-1} \frac{d \ln M_*^2}{dt}$$

$$h_a = \left(\frac{M_{*,\text{em}}}{M_{*,\text{obs}}} \right) \times h_s ,$$

$$h_\times = \frac{4}{d_L(z)} \left(\frac{G\mathcal{M}_c(z)}{c^2} \right)^{5/3} \left(\frac{\pi f}{c} \right)^{2/3} \cos \iota \sin[\Phi(f)] ,$$

$$d_{\text{GW}} = (1 + z)^{\frac{\alpha_M}{2}} d_L .$$

GW-distance

L.A. et al. 1712.08623

More from GWs

Lensing of GWs

ISW of GWs

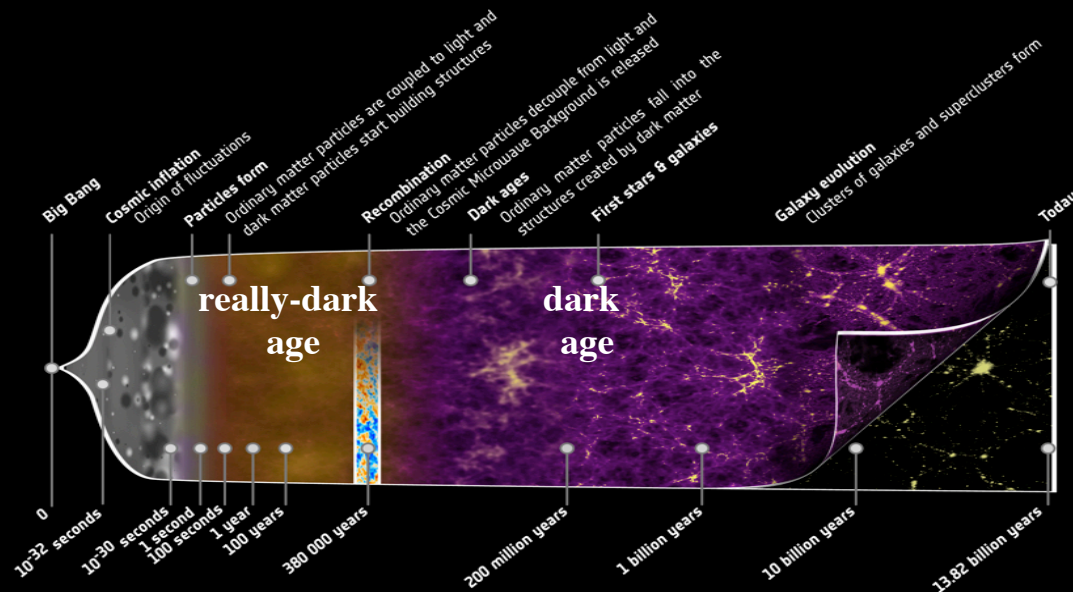
Power spectra of GWs

GW backgrounds

...

Searching in new domains

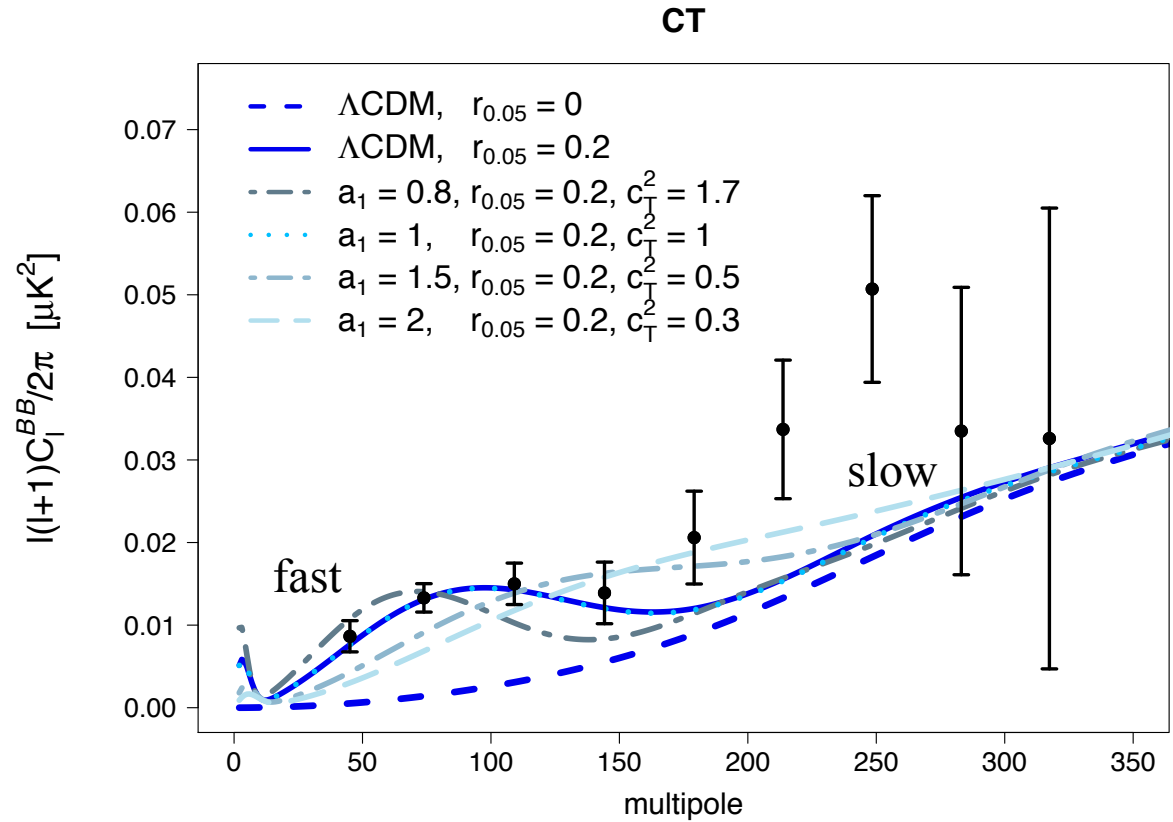
- Dark matter and dark energy are not dark but transparent
- The evolution of the Universe **before decoupling** is however really dark!
- Only two almost direct probes so far: BBN and CMB BB spectrum
- What else: B-modes, **PBHs**, non-gaussianity...?



Gravitational wave speed

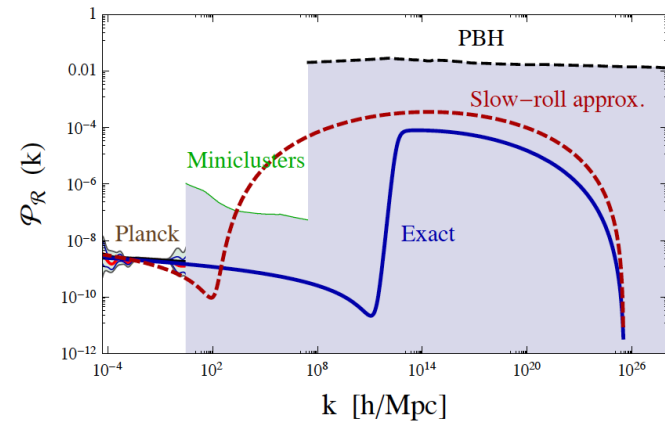
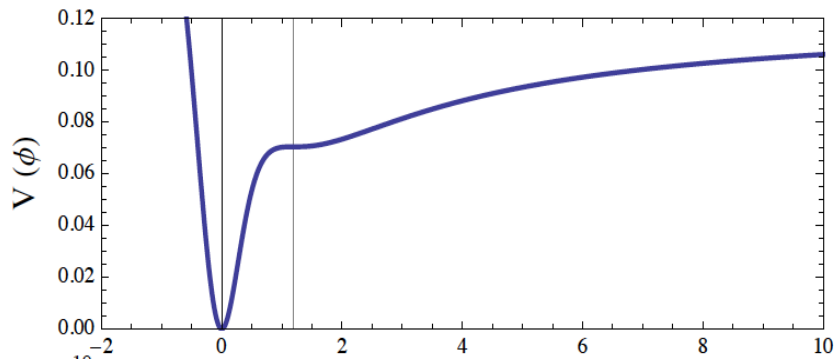
varying

$$c_T^2 = 1 + \alpha_T$$



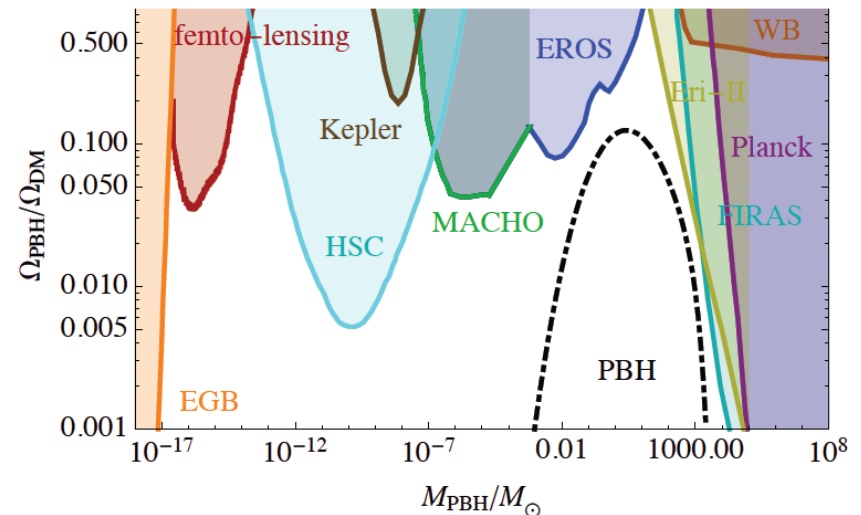
L.A., G. Ballesteros, V. Pettorino, 2014
See also Raveri, Silvestri and Zhou, 2014

PBH after inflation



PBH are normally assumed to form from spectral peaks due to features in slow-rolling inflation
Eg inflection in the potential

$$P \sim \frac{H^2}{\epsilon}$$



Growth during radiation era?

Matter growth equations

$$\delta_m'' + \left(1 + \frac{H'}{H}\right)\delta_m' - \frac{3}{2}(\Omega_m\delta_m + \Omega_r\delta_r) = 0$$

Perturbation do not grow because

$$\begin{aligned}\Omega_m &\approx 0 \\ \delta_r &\approx 0\end{aligned}$$

interacting fields

Interacting fields ψ (heavy) and ϕ (light)

$$S = \int d^4x \sqrt{-g} \left[\frac{M_P^2}{2} R + \mathcal{L}_R + \mathcal{L}(\phi) + \mathcal{L}(\phi, \psi) \right] ,$$

$$\mathcal{L}(\phi, \psi) = i\bar{\psi} (\gamma^\mu \nabla_\mu - m(\phi)) \psi ,$$

coupling $\beta(\phi) = -M_P \frac{\partial \ln m(\phi)}{\partial \phi} .$

EOM

$$\dot{\rho}_\phi + 3H(\rho_\phi + p_\phi) = \frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi} ,$$

$$\dot{\rho}_\psi + 3H(\rho_\psi + p_\psi) = -\frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi} ,$$

interacting fields

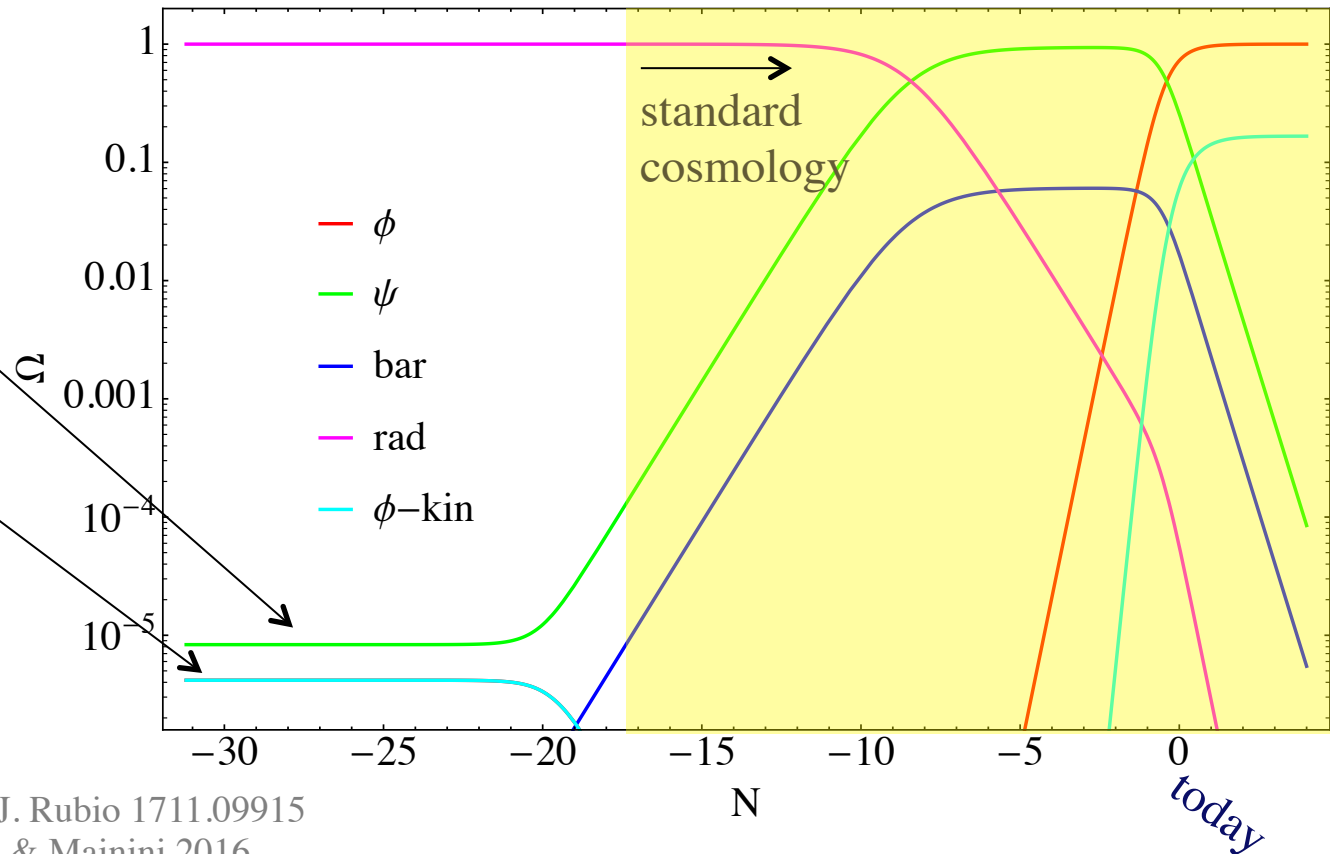
EOM

$$\dot{\rho}_\phi + 3H(\rho_\phi + p_\phi) = \frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi},$$

$$\dot{\rho}_\psi + 3H(\rho_\psi + p_\psi) = -\frac{\beta}{M_P} (\rho_\psi - 3p_\psi) \dot{\phi},$$

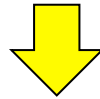
$$\Omega_\psi = \frac{1}{3\beta^2}$$

$$\Omega_\phi = \frac{1}{6\beta^2}$$



Growth during radiation era!

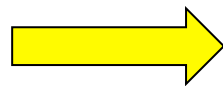
$$\delta_m'' + \left(1 + \frac{H'}{H}\right) \delta_m' - \frac{3}{2} (\Omega_m \delta_m + \Omega_r \delta_r) = 0$$



$$\delta_\psi'' + \left(1 + \frac{\mathcal{H}'}{\mathcal{H}} - \frac{\beta \phi'}{M_P}\right) \delta_\psi' - \frac{3}{2} (Y \Omega_\psi \delta_\psi + \Omega_R \delta_R) = 0. \quad Y = 1 + \beta^2$$

If a particle ψ strongly interacts with coupling $\beta \gg 1$ with a field ϕ , perhaps dark energy, then there are two consequences:

- 1) The effective gravitational force is large ($Y = 1 + \beta^2 \gg 1$)
- 2) The amount of ψ during radiation is larger ($\Omega_r \gg \Omega_\chi \gg \Omega_{\text{bar}}$)



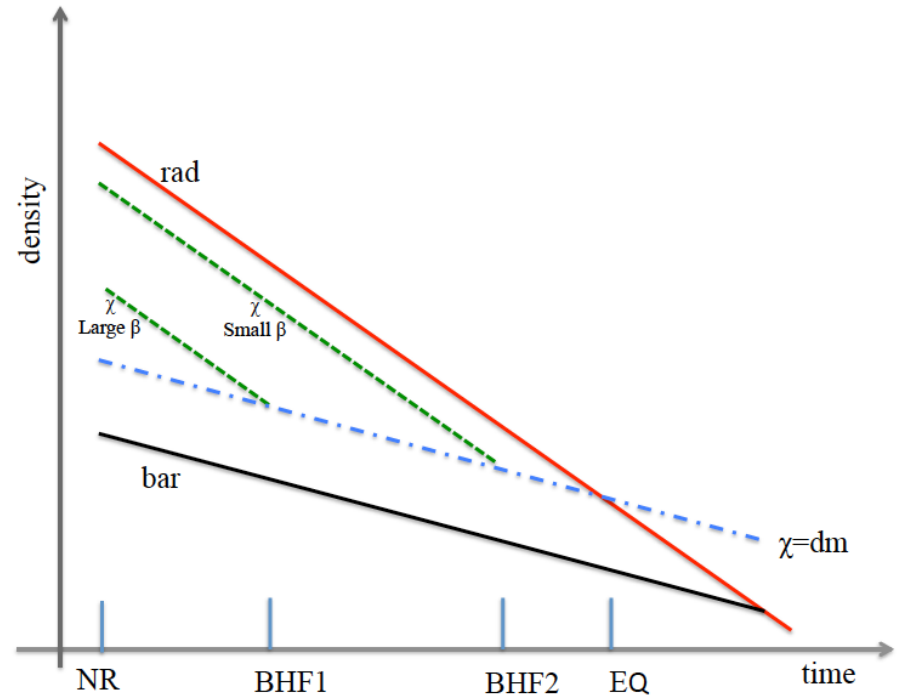
$$\delta_\psi'' - \delta_\psi' - \delta_\psi = 0.$$

Growth during radiation era

Growth as $\delta_\chi \sim a^{1.6}$ after horizon reenter
during radiation:
formation of BHs or DM-balls

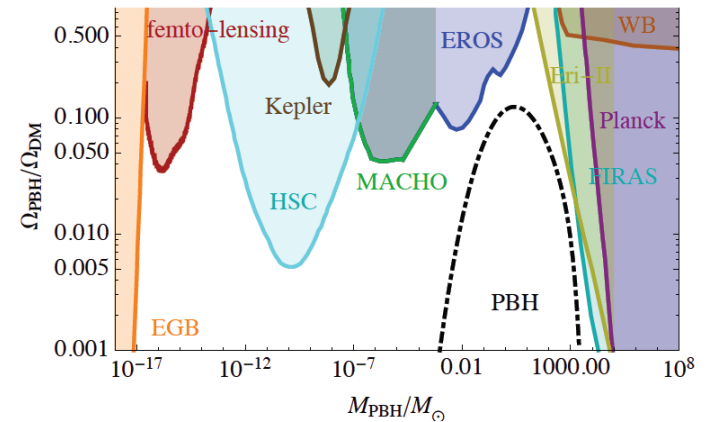
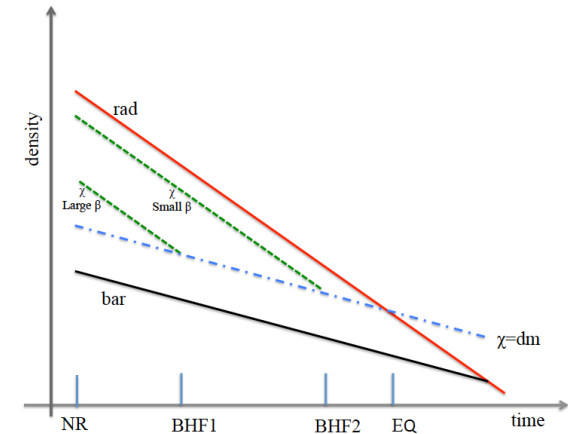
Simple relation between BH mass and
coupling parameter β

$$|\beta_c| = 585 \left(\frac{M_{\text{BH}}}{M_\odot} \right)^{-1/6}$$



Growth during radiation era

- No need of special features on the inflationary spectrum
- Do these objects become BHs or do they virialize into DM-balls?
- Is the coupling fully screened?
- If DM-balls, they escape the strong constraints on PBHs
- Dark matter ψ remains confined into these structures



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Conclusions

there's more darkness to discover
out there!